

Active Power Filter Control Using Soft Computing Technique

L.Janardhanarao

II M-tech, dept of EEE,

Godavari institute of Engineering and
Technology, Rajahmundry, India

K.Anand kumar

Assistant professor, dept of EEE

Godavari institute of Engineering and
Technology, Rajahmundry, India

Abstract

Nonmodel-based controllers have been explored for the control of a shunt active power filter (APF) designed for harmonic and reactive current mitigation. In this paper, soft computing technique i.e fuzzy logic used to design alternative control scheme for switching the APF. The model for these control scheme is designed and simulated in MATLAB.

Index Terms—Active power filter (APF), Soft computing technique, fuzzy logic.

1.INTRODUCTION

Soft computing is a technology to extract information from the process signal by using expert knowledge. It either seeks to replace a human to perform a control task or it borrows ideas from how biological systems solve problems and applies it to control processes. The main areas in soft computing notably are fuzzy logic, neural network, genetic algorithm(GA), rough sets, etc. Soft computing has experienced an explosive growth in the last decade partially due to uncertainties and vagueness in the process signal and occurrence of random events, and partially due to nonlinearity and complexity of the processes. Traditionally, the design of a control system is dependent on the explicit description of its mathematical model and parameters. The system can be complex with nonlinearity and parameter variation problems. An intelligent or self-organizing control system can identify the model, if necessary, and give the predicted performance even with a wide range of parameter variation. Soft computing is an alternative solution to meet the process and user's requirements simultaneously. The authors in this paper therefore have developed algorithms based on fuzzy logic for controlling the switching of a shunt active power filter (APF) configuration. The comparative merits and demerits of this scheme including those of a conventional PI algorithm are discussed.

2. PROBLEM IDENTIFICATION

Most of the load and control equipment today use computers, embedded systems, microcontrollers, and power-electronic devices and converters to obtain the desired control performance. These devices and controllers draw nonsinusoidal current from

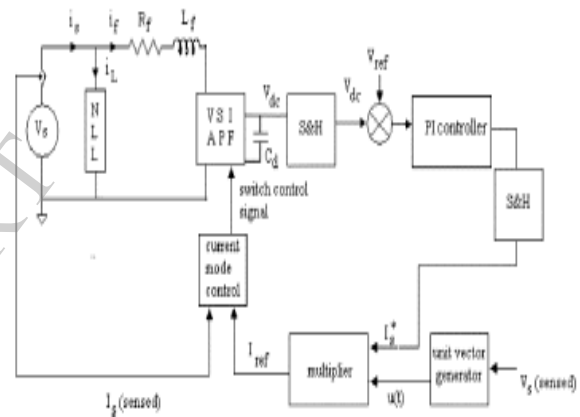


Fig. 1. Configuration of the APF.

the supply, resulting in the generation of current and voltage harmonics. APFs have now become an alternative solution to harmonic filtering technology. An APF is a power-electronic converter that is switched to inject equal but opposite distorted current in the power-supply line, connected to a nonlinear load. Its switching, regulated by PWM, generates the harmonics and reactive power required to maintain the mains current sinusoidal and in phase with the mains voltage, irrespective of the load current. A number of methods exist for determining the reference-switching current for the APF [1]–[3]. In this paper, we have considered the control strategy based on the regulation of the dc capacitor voltage [4], [5]. Soft computing techniques have been applied to APF control to a certain extent [6]–[8], however; detailed investigations and possible

combinations of these methods have not been explored. The objective of this paper focuses mainly on developing soft computing algorithm-based control strategies for switching single-phase shunt APFs. They offer an efficient control method under the uncertain and varying load and supply conditions and offer a much better dynamic response.

3. ACTIVE POWER FILTER

The main objective of the APF is to compensate the harmonic currents due to the non linear load. These filters are generally designed around a PWM bridge converter having a capacitor on the dc side. Fig. 1 shows the shunt APF configuration with a proportional-integral (PI) controller. The switching frequency f_{sw} of the bridge determines the frequency range of harmonic currents that are generated by APF. It is expected to correct up to $f_{sw}/10$ or $f_{sw}/5$. The aim now is to control this switching so that the voltage source lines, the nonlinear load, and the filter work together. This leads to designing the control algorithm which is best suited to compensate the harmonic and reactive currents.

4.PI ALGORITHM

The PI control scheme involves regulation of the dc bus to set the amplitude of reference current for harmonic and reactive power compensation [4], [5]. Assuming no power losses in the compensator, the dc-link voltage remains constant if no real power is drawn from it. However, practically, there are switching losses in the APF that increase with the increase in the reactive power demand of the load. These losses are supplied by the capacitor, and its voltage drops. The capacitor also has to supply active power during transient states when the real-power demand of the load increases. Thus, in either case, the capacitor voltage drops. Similarly, the capacitor voltage will increase if the reactive/real power demand of the load decreases. Hence, by monitoring the capacitor voltage, the real power supplied by the APF can be estimated and the amplitude of the fundamental active component of the supply current was estimated indirectly using the real-power balance theory. The control is on the supply current directly. Only one sensor is required to sense the supply current and there is no delay in the compensation process. A PI control algorithm is used to regulate the dc link voltage of the shunt APF. This method is

preferred because the reference current is generated without calculating either the load current harmonics or the load reactive power. This results in an instantaneous compensation process and the associated hardware is simple to implement, thereby increasing system reliability. The block diagram of the overall control scheme is shown in Fig. 1. The control variables used by the PI control algorithm are the dc bus voltage, supply current, and supply voltage. In the control scheme investigated here, a sample-and-hold circuit is used to take capacitor voltage samples at every 10 ms for a supply frequency of 50 Hz. The error input to the PI controller and the amplitude of the supply current provided by the controller are thus made available at zero crossing only and the supply current is maintained constant for the entire period of one cycle. Hence, the correction action is achieved every half cycle. The ripple in the capacitor is eliminated with this technique and there is no need to use a low pass filter. The dc capacitor voltage has to be maintained at more than twice the peak supply voltage for proper operation of the shunt APF system. This is taken as the reference dc-link voltage (V_{ref}) and compared with the actual voltage of the capacitor (V_{dc}). The resulting error at the n th sample instant is expressed as

$$V_e(n) = V_{ref}(n) - V_{dc}(n) \quad (1)$$

The compared result is fed to a PI controller and the output of the PI controller is given by

$$V_o(n) = V_o(n-1) + K_p \{V_e(n) - V_e(n-1)\} + K_i V_e(n) \quad (2)$$

where K_p and K_i are proportional and integral gain constants of the voltage regulator. $V_o(n)$ is the output of the controller and $V_e(n)$ is the voltage error at the n th sampling instant. This output of the controller is limited to a safe permissible value depending on the rating of the APF switches, and the resulting limited output is taken as the peak value of the reference supply current for harmonic and reactive power compensation. The phase information is obtained by a unit amplitude sine wave derived from the mains voltage. The reference current so obtained is compared with the actual supply current and fixed frequency PWM is used to generate the switching signals for the APF converter. The switch control applies or on the ac side, forcing the compensation current to track the reference current. From Fig. 1 of the APF, the following equations can be written:

$$i_s = i_L + i_f \quad (3)$$

$$\frac{di_f}{dt} = \frac{v_s - v_f - R_s i_f}{L_f} \quad (4)$$

And

The filter output voltage can be controlled only by the duty cycle of the bridge. Therefore, we obtain

$$v_f = u_f \cdot V_{dc} \quad (5)$$

The problem of a soft computing control algorithm is, therefore, to determine the duty cycle in such a way that remains as constant as possible and produces the right harmonic-compensated current.

4.1 Simulation Results

The harmonic model of a computer [9], consisting of a diode bridge rectifier with a large smoothing capacitor is used to represent a typical nonlinear (NLL) load. The load was simulated for a supply voltage of 230 V, 50 Hz $R_L=430\Omega$ and $C=1000\mu F$ and the performance parameters were found as $I_{rms}=3.41$ A, THDI= 149.7%, THDV at PCC=0.124%, DF=0.98, HF=1.497, and PF=0.585. It is seen that the root mean square (rms) supply current is increased due to the presence of harmonics and low power factor. Due to the presence of the smoothing capacitor, the load current is seen to be discontinuous [Fig. 2(c)].

The PI control algorithm is applied to control a shunt APF for compensating harmonic and reactive power drawn by the computer load. The system is simulated using MATLAB and the results are presented in Fig. 2. The waveforms for supply voltage, supply, load, and filter currents and dc-link voltage are shown in Fig. 2(a)–(e). It can be seen from Fig. 2(b) and (c) that the supply current becomes sinusoidal while the load continues to draw current in nonsinusoidal pulses. The harmonic spectrum of the supply current before and after compensation is shown in Fig. 3(a) and (b), respectively. The total harmonic current distortion is reduced from 149.7% of the uncompensated load to 4.49% after compensation. The power factor is improved to 0.98 from 0.585 of the uncompensated load. The compensated rms supply current is 2.668 A and it is seen that the rise in supply current due to the presence of harmonics is effectively brought down.



Fig. 2. Dynamic performance of PIAPF with the computer load. (a) Supply voltage (V). (b) Compensated supply current (A). (c) Load current (A). (d) Filter current (A). (e) Voltage across the dc capacitor (V).

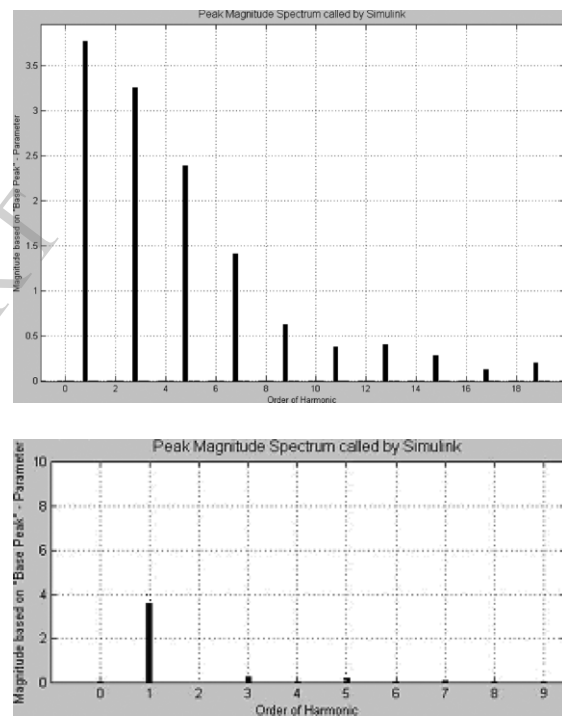


Fig. 3. (a) PI APF with the computer load: Harmonic spectrum of the supply current before compensation. (b) PI APF with the computer load: Harmonic spectrum of the supply current after compensation.

The dynamic response for addition and removal of the load can be observed from Fig. 2(b). The supply current settles smoothly to a new steady-state value within a half cycle of a 50% decrease in load at 0.1 ms and a 200% increase in load at 0.3 ms. There is a small change in the dc-bus voltage [Fig. 2(e)] at the instant of disturbance in the load to balance extra energy due to an increased or decreased level of compensation. The

dc-bus voltage settles to its steady-state value within a few cycles.

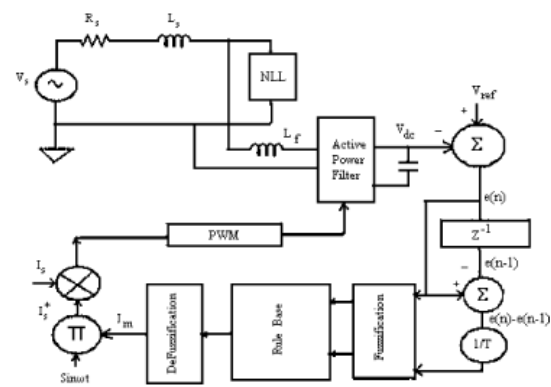
The APF with PI control for a self-supporting dc bus has several advantages viz; instantaneous compensation, no need to sense reactive power demand or load harmonics, the advantage of using only one current sensor, and simple control logic and hardware. However, in this scheme, the nonlinear model of the APF system is assumed to be linear and the PI controller design is based on a mathematical model of the linearized system. A set of equations that describe the stable equilibrium state of the control surface is developed by the root locus or some other method, and coefficients are assigned to the proportional and integral aspects of the system.

The PI controller applies the mathematical model to a given input and produces a specific output from the mathematical algorithm. The PI model may seem to be simple and economical for a set of designed PI parameters and the harmonic compensation achieved by the APF and the response to step change in load is satisfactory, but a tendency to overshoot the set value still exists, while compensating large errors. Further, for the same set of parameters, the system may lack the capacity to adjust satisfactorily to large fluctuations and, hence, fine tuning of the designed parameters was necessary. Practically, the fine tuning of PI parameters is mostly accomplished by trial and error, which is a time-consuming process. Hence, soft computing methods are developed in this paper to develop a reliable autotuning method in order to automate this process.

5. FUZZY CONTROL ALGORITHM

Fuzzy logic is a multilevel logic system in which the fuzzy logic set has a degree of membership associated with each variable. Basically, a fuzzy set has three principal components: 1) a degree of membership measured along the vertical axis (Y); 2) the possible domain values for the set along the horizontal axis (X); and 3) the set membership function (a continuous curve that connects the domain values to the degree of membership in the set). A large class of fuzzy sets represents approximate members of one type or other. Some of these fuzzy sets are explicitly fuzzified numbers whereas others simply represent the fuzzy numeric interval over the domain of a

particular variable. Fuzzy numbers hence can take many shapes triangular, trapezoidal, sigmoid, and bell shape, etc. The fuzzy set principally attributes two fuzzy numbers: a center value and a degree of spread. The degree of spread is also called the expectancy (E) of the fuzzy number; when the fuzzy number is a single point, it is called single tone. As the expectancy increases, the number becomes fuzzier. This results in an increase in information and entropy. The triangular fuzzy membership shape is commonly employed in control applications due to primarily low computational costs of creating and integrating triangular fuzzy sets. However, they are less robust. The sigmoid function and bell-shaped fuzzy numbers are better in robustness since their center value is not a single point. The trapezoidal number is slightly different from the triangular and sigmoid number shapes because the set does not pivot around a single central number. Conventionally, only standard triangular MFs are used in fuzzy control and the suitability of other membership functions is not investigated. In the present study, the fuzzy-logic control system was designed with five functional definitions of MFs viz; triangular, trapezoidal, pSigmoid, Gaussian and Gaussian Bell MFs. After a comparative study in terms of harmonic compensation achieved under steady-state and transient load conditions, it was observed that the Gaussian MFs gave the best results. Fig. 4 shows the structure of the fuzzy controller for APF.



4. Structure of the fuzzy controller for APF.

5.1 Fuzzy Control Scheme for APF

In order to develop the fuzzy-logic control algorithm for APF, two inputs: 1) the voltage error (reference voltage minus actual capacitive voltage e), 2) the change of capacitive voltage (previous error minus current error; ce) were considered over one sample period. The two inputs were represented by set of seven membership functions

and expressed in linguistic values as negative big (NB), negative medium (NM), negative small (NS), zero (ZE), positive small (PS), positive medium (PM), and positive big (PB). The range for the “error” input was set as and that for “change of error” was set as. A limiting block was introduced before the fuzzy block in order to truncate values beyond these ranges before supplying them to the fuzzy-logic controller. The shape of these membership functions was varied and the effect on the system was studied. The input to the defuzzification process is a fuzzy set (the aggregate output fuzzy set) and the output is a single nonfuzzy number, obtained by the center-of-gravity (COG) method of defuzzification. The output (magnitude of reference supply current,) 0 is a represented by a set of nine membership functions (MFs) (NVB to PVB) whose shape was taken to be similar to the shape of the input MFs. The range for the output was set as]. The output of the fuzzy-logic controller was multiplied by a unit sine wave in order to bring it in phase with the supply current before comparison. The AND method used during interpretation of the IF-THEN rules was “min” and the OR method used was “max.” Also, “min” was used as the implication method whereas the “max” method was used for aggregation. The input and output MFs so applied are shown in Fig. 5. The 49 fuzzy IF-THEN weighted rule base was designed to maintain the capacitor voltage constant by providing the required reference current amplitude. Rule generation and weighting were decided based on the pendulum analogy. The resulting rule matrix with assigned weights is shown in Table I.

5.3 Simulation Results

The PI controller block in the control scheme of the APF (Fig. 1) was replaced by the designed fuzzy inference system (FIS). The APF was then simulated for the same load with all other parameters maintaining the same. The simulation results for the fuzzy-logic controller designed with Gaussian MFs are shown in Fig. 6(a)–(g). Fig. 6(b) shows that the supply current is sinusoidal with the total harmonic current distortion reduced from 149.7% of the uncompensated load to 3.7% after compensation. The seemingly triangular form of the compensated current is due to current spikes and higher order harmonics.

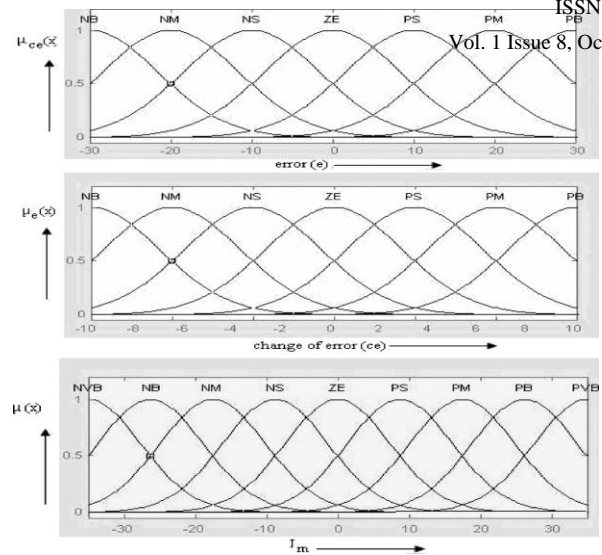
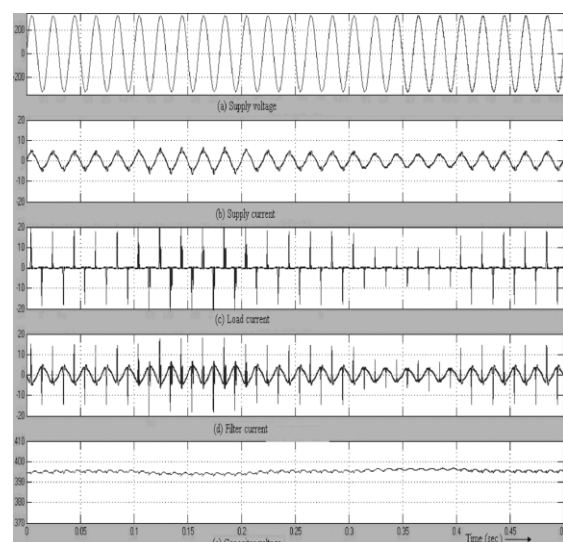


Fig. 5. Gaussian membership functions for input variables: (a) error, (b) change of error, and (c) output variable I_m .

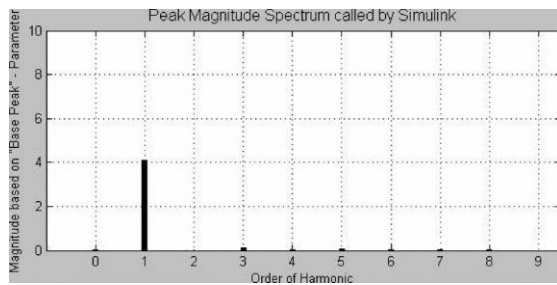
TABLE I

FUZZY-WEIGHTED RULE BASE

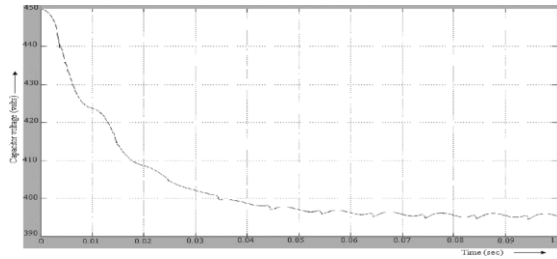
		ERROR						
		NB	NM	NS	ZE	PS	PM	PB
CHANGE OF ERROR	NB	(NVB) 1	(NB) 1	(NM) 1	(NS) 1	(ZE) 1	(PS) 1	(PM) 1
	NM	(NVB) 0.92	(NB) 0.89	(NM) 0.83	(NS) 0.66	(PS) 0.33	(PM) 0.66	(PB) 0.77
	NS	(NVB) 0.83	(NB) 0.77	(NM) 0.66	(NS) 0.33	(PS) 0.66	(PM) 0.83	(PB) 0.89
	ZE	(NB) 1	(NM) 1	(NS) 1	(ZE) 1	(PS) 1	(PM) 1	(PB) 1
	PS	(NB) 0.89	(NM) 0.83	(NS) 0.66	(PS) 0.33	(PM) 0.66	(PB) 0.77	(PVB) 0.83
	PM	(NB) 0.77	(NM) 0.66	(NS) 0.33	(PS) 0.66	(PM) 0.83	(PB) 0.89	(PVB) 0.92
	PB	(NM) 1	(NS) 1	(ZE) 1	(PS) 1	(PM) 1	(PB) 1	(PVB) 1



(a-e)



(f)



(g)

fig. 6. Dynamic performance of the fuzzy control scheme with Gaussian MFs for an APF with computer load: (a) supply voltage (V), (b) compensated supply current (A), (c) load current (A), (d) filter current (A), (e) voltage across dc capacitor (V), (f) harmonic spectrum of the compensated supply current, and (g) performance of the fuzzy control scheme with Gaussian MFs for an APF with the computer load: Transient behavior for a large error in dc-link voltage.

The harmonic spectrum of the compensated supply current is shown in Fig. 6(f). The power factor is improved to 0.9983. It is observed that the capacitor voltage is maintained constant by the FIS. The dynamic response for the addition and removal of the load can be observed from Fig. 6. The supply current settles smoothly to a new steady-state value within a quarter cycle of a 50% decrease in load at 0.1 ms and a 200% increase in load at 0.3 ms. The dc-bus voltage settles to its steady-state

value within a few cycles [Fig. 6(e)]. The response of the system for compensating a large initial error of 50 V is also observed. The capacitor voltage reaches the steady-state value without overcompensating or overshooting the set value, as shown in Fig. 6(g). The FIS-controlled APF was found to provide better and robust performance under transient and varying load conditions.

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