

Web Based Certificate Verification using online Scheduling Algorithm for Parallel Batch Processing

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Abstract-This paper studies online scheduling problem on parallel machines that process computing jobs arriving stochastically in a batch pattern. With the objective function as minimizing total completion time of weighted jobs or minimizing total latency of job completion, we propose 'Minimizing Max Weighed Processing Time Algorithm ' and its effective implementation in web based verification of documents. With the assumption that the processing time of a batch of documents is a constant, the jobs with a higher weight are processed first where weighting factor is 'time' and we assume that the latency of any job exceed a given. The main objective of this paper is to adjust the job's waiting time to eventually minimize the value of objective function.

Keywords: batch processing, competitive ratio, online scheduling, objective function

I. INTRODUCTION

The concept of batch scheduling has been the topic of research since 1990s and it is considered to be an optimal approach for computation of similar kinds of jobs. In case of single job processing, jobs of same kind are not processed simultaneously whereas the batch processing aggregates multiple jobs under certain conditions in a batch and simultaneously process them under a batch scheduling algorithm. Nowadays enterprises mainly use batch scheduling in the product lines such as semiconductor production, goods dispatch and delivery, steel casting, etc. Due to its wide application in various domains, the batch scheduling has attracted an increasing attention from research community. But still its effective implementation in Government Sector hasn't done yet. There is extensive research on job scheduling on parallel machines. In traditional interval scheduling [1][2][3], jobs are processed in the intervals on the real time line, each job has to be processed on some machine, and every machine can process only one job at any time. There is

much literature on real-time scheduling, where each job has to be processed on some machines during a time interval between its release time and due date or each job has to be processed during fixed interval between its start-time and end-time assuming a machine can process a single job at any time. However, to the best of our knowledge, it is among the first such paper to discuss the objective of minimizing the total completion time for online real-time job scheduling. Previously some work has been done on job scheduling on a set of machines so as to maximize the total profit but in these works the cost of scheduling each job is fixed. As pointed out further the cost of scheduling each of the jobs depends on the other jobs scheduled on the same machine in the corresponding time interval, thus it may change over time and among different machines; our real-time scheduling problem is different from batch scheduling of conflicting jobs.

JiTian [5] (2011) studied on-line scheduling on m parallel-batch machines where the batch capacity is not bounded and the jobs belonged to m incompatible job families, and gave the different competitive ratios to the batches with different job numbers. Jianfa Cao [6] studied online scheduling of equal length jobs with precedence constraints on m parallel batching machines and yielded a competitive ratio of 2. The rest of paper is organized in this way:

Research objectives are stated in Chapter II, two online scheduling algorithms presented in Chapter III, and simulation results given in Chapter IV. Implementation of this algorithm in web based certificate verification is given in chapter V. In Chapter VI we draw preliminary conclusions for this research.

VI. RESEARCH OBJECTIVE

In the batch scheduling domain, researchers tend to focus on two scheduling models: offline scheduling and online scheduling. Offline scheduling assumes that all scheduling information of the scheduled jobs are known prior to the arrival of jobs, while online scheduling deals with the scenarios in which job information is not known until it arrives for scheduling. Under the online scheduling schema

the focus is on the jobs with varied arriving time or unknown arrival time, or whether there are more jobs to

come. Once the job arrives and all job information is revealed, then the key problem becomes how to design an optimized scheduling

algorithm to yield appropriate job waiting times.

In our work presented in this paper, the online batch scheduling model, there are m processing machines with identical work capability. The maximum number of jobs that can be processed simultaneously on a machine is assumed to be a constant B , and the processing time of each machine is also a constant P . So the goal is to group the jobs into batches and determine when to process the batches such that the value of objective function is minimized. By means of the FBLPT algorithm, we can easily prove that the competitive ratio is greater than 2 when schedule the job without waiting for others. Thus, our research interest becomes how to determine the appropriate wait time for each job, with the help of using competitive ratio. We will first use the competitive ratio and weighing factor to adjust the waiting time for each job, and then to minimize the objective function that includes weighed completion times. Second, we try to optimize the objective function in completion latency by adjusting the job waiting time against its completion deadline and penalty factor if the job is delayed.

VII. ONLINE SCHEDULING ALGORITHM DESIGN

A. Competitive Ratio

The competitive ratio of algorithm A can be defined

$$as R_A = \sup_{\forall L} \{C_A(L) / C^*(L)\}$$

where C_A and C^* refer to the maximum completion time under online and offline, respectively, and L is the input job set. It is found that the value of competitive ratio is greater than 1. The competitive

ratio is used to assess the performance of the online scheduling algorithms, with lower value indicates higher performance. In the following work, we let $\alpha = (\sqrt{5}-1)/2$ and assume that the number of machines is appropriate that no large-scale batches will be generated and processed, but they must wait for the idle machine to become available. When the processing time is a constant P and the batch size a constant B , the competitive ratio of online

scheduling algorithm for parallel processing machine is not greater than $1 + \alpha$. Zhang G.C [4] (2003) proved this with $P=1$, and it is easy to expand the conclusion to the cases when

P is a constant but not equal to 1.

B. Minimizing Max Weighed Processing Time Algorithm

Under this scenario the objective function is designed to minimize the maximum weighed completion time,

$$i.e. F_{\min} = \sum w_j C_j$$

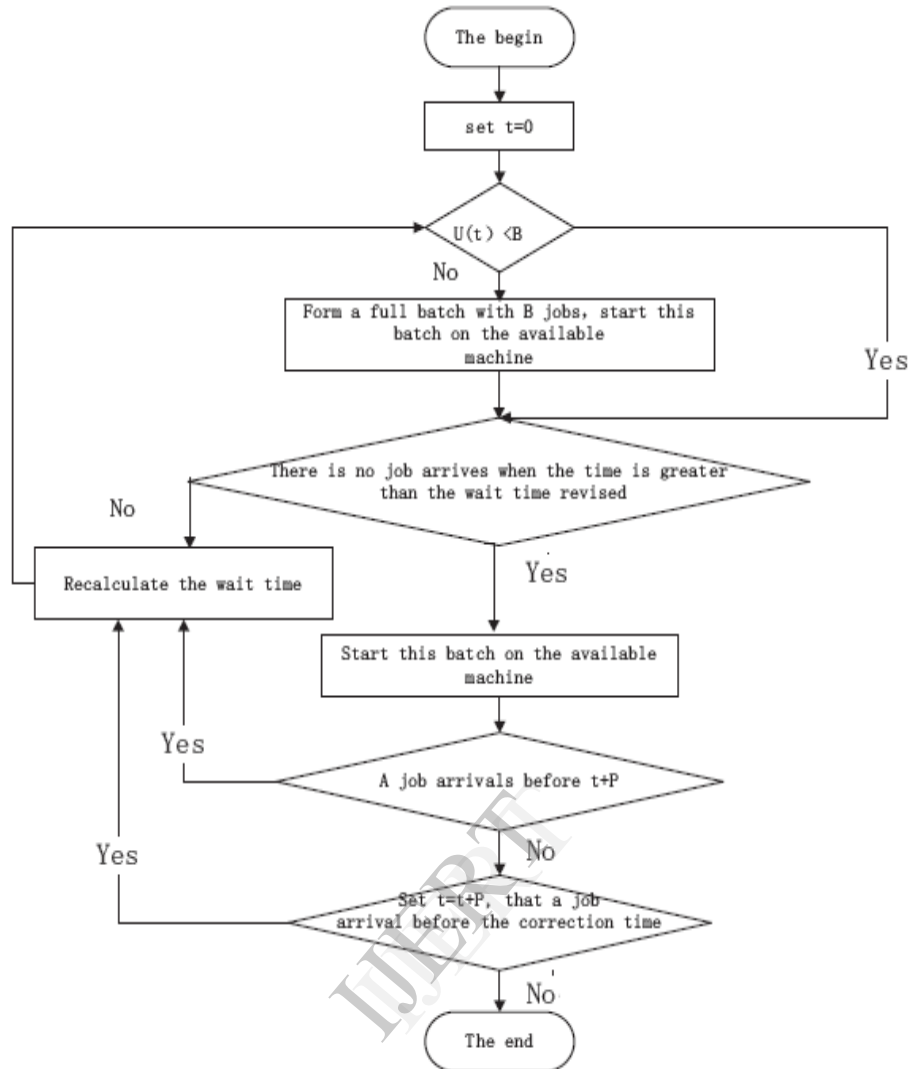
where the w_j is the weight of each job, $w_j = w_1, w_2, \dots, w_i, \dots, w_n$, and C_j is the completion time of the j -

th job. Design of the algorithm is elaborated as below and the algorithmic flow chart is shown in Fig. 1:

Minimizing Max Weighed Processing Time Algorithm

1. Let the first job arrival time $t = 0$;
2. Compute the number of existing job $U(t)$, if $U(t) < B$ (where B is the maximum number of jobs a processing machine can handle simultaneously), then go to Step 4;
3. Form a full batch and look for idle machines for processing, and update t to the starting time, and then go back to Step 2;
4. If the number of existing jobs $U(t) = 0$, go to Step 6; otherwise let $\bar{\gamma}_i(t)$ be the latest arrived job in the remaining jobs, then compute the job's maximum waiting time without considering the weight, $\delta_i(t) = (1+\beta)\gamma_i(t) + \beta$. If $w_i / w_{i+1} > 1$ the waiting time is decreased and the $(i+1)$ th job's waiting time becomes $\delta'_{i+1}(t) = \delta_{i+1}(t) - [(w_i - w_{i+1})/w_i] |\delta_i(t) - \delta_{i+1}(t)|$. If the calculated wait time is less than the job's arrival time, then these $(i+1)$ jobs shall be scheduled for processing as earliest as possible. If the machines are available at the time t , then the batch processing shall be started and the earliest processing starting time shall be updated to t , then go back to Step 2;
5. Wait for the next arriving job, denoted by J_j , with the arrival time $\delta_{j-1}(t) = (1+\beta)\gamma_{j-1}(t) + \beta$ to come. Adjust the job waiting time according to the weighing factor as described in Step 4. If during this period of time there is a new job J_h arrived, denote the arrival time as $\gamma_h(t)$, then recalculate and adjust J_h 's wait time and go to Step 2;
6. If there are more new jobs arriving, update its arrival time $\gamma_k(t)$ by the method stated in Step 4, and then go to Step 2; otherwise the scheduling algorithm goes to the end.

Figure 1 Minimizing Max Weighed Processing Time algorithm



IV. ALGORITHM SIMULATION

Processing Time algorithm

Assume the jobs arrive in a Poisson distribution, the number of processing machines $m = 3$, with each machine's capability $B = 100$, and the processing time for a batch $P = 3.0$. Based on the Minimizing

Max Weighed Processing Time algorithm and with the given test parameters, we calculate the such items as waiting time (WT), modified waiting time (MWT), unmodified completion time (UM), modified completion time (MM), unmodified objective

value (UOV), and modified objective value (MOV), and use them to calculate and sum up the weighed processing time. Since the jobs arrive in a Poisson process in the simulation, so we design and conduct a few test cases, with each case consists of 5 test runs, to get the statistic results of measurements.

Figure 2 shows the results of two test cases for the Minimizing Max Weighed Processing Time algorithm, in which the simulation configuration and test parameters are the same, except the job's arriving times are randomly generated through the Poisson process, which differ in the two cases.

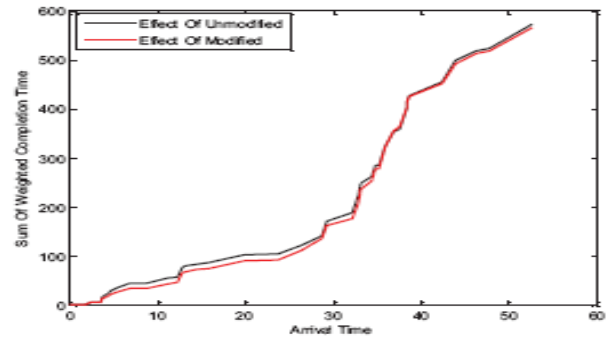
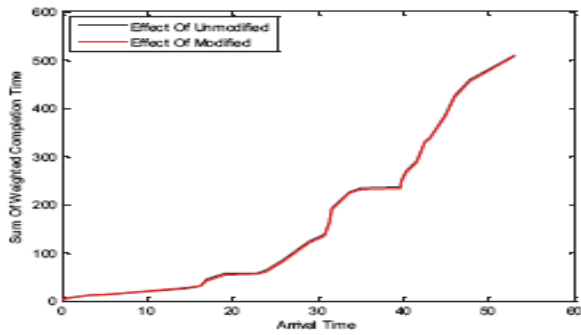
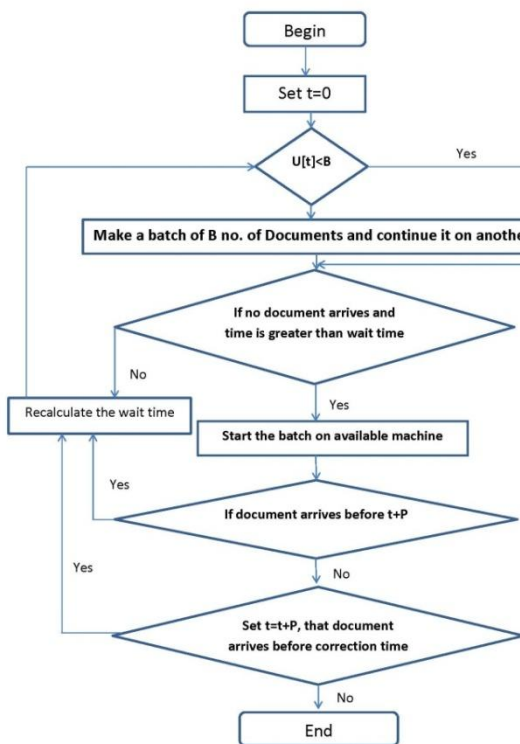


Figure 2 Simulation results for Minimizing Max Weighed Processing Time algorithm (P = 3.0)

V.ALGORITHM IMPLEMENTATION

Here, We have used this algorithm in web based certificate verification. The batch consists of 'm' no. of documents. Processing of documents is done in batch manner. The weighting factor is considered as 'Time'. That means batch of 'm' documents are processed within a particular time constraint. The implementation can be done by using following flow chart.



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